

# The Raman Fingerprint of Graphene

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Graphene is the two-dimensional (2d) building block for carbon allotropes of every other dimensionality. It can be stacked into 3d graphite, rolled into 1d nanotubes, or wrapped into 0d fullerenes. Its recent discovery in free state has finally provided the possibility to study experimentally its electronic and phonon properties. Here we show that graphene's electronic structure is uniquely captured in its Raman spectrum that clearly evolves with increasing number of layers. Raman fingerprints for single-, bi- and few-layer graphene reflect changes in the electronic structure and electron-phonon interactions and allow unambiguous, high-throughput, non-destructive identification of graphene layers, which is critically lacking in this emerging research area.

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The current interest in graphene can be attributed to three main reasons. First, its electron transport is described by the Dirac equation and this allows access to the rich and subtle physics of quantum electrodynamics in a relatively simple condensed matter experiment [1, 2, 3, 4, 5]. Second, the scalability of graphene devices to nano-dimensions [6, 7, 8, 10, 11] makes it a promising candidate for electronic applications, because of its ballistic transport at room temperature combined with chemical and mechanical stability. Remarkable properties extend to bi-layer and few-layers graphene [4, 5, 6, 8, 12]. Third, various forms of graphite, nanotubes, buckyballs and others can all be viewed as derivatives of graphene and, not surprisingly, this basic material has been intensively investigated theoretically for the past fifty years [13]. The recent availability of graphene [1] at last allows to probe it experimentally, which paves the way to better understanding the other allotropes and to resolve controversies.

Graphene samples can be obtained using the procedure of Ref. [1], i.e. micro-mechanical cleavage of graphite. Alternative procedures, such as exfoliation and growth, so far only produced multi-layer samples [6, 8, 9], but it is hoped that in the near future efficient growth methods will be developed, as happened for nanotubes. Despite the wide use of the micro-mechanical cleavage, the identification and counting of graphene layers is a major hurdle. Monolayers are a great minority amongst accompanying thicker flakes. They cannot be seen in an optical microscope on most substrates. Graphene layers only become visible when deposited on the top of oxidized Si substrates with a finely tuned thickness of the oxide layer (typically, 300 nm of SiO<sub>2</sub>) because, in this case, even a monolayer adds to the optical path of reflected light to change the interference color with respect to the empty substrate [1, 4]. Atomic Force Microscopy (AFM) has been so far the only method to identify sin-

gle and few layers, but it is low throughput. Moreover, due to the chemical contrast between graphene and the substrate (which results in an apparent chemical thickness of 0.5-1nm, much bigger of what expected from the interlayer graphite spacing [1, 4]), in practice, it is only possible to distinguish between one and two layers by AFM if films contain folds or wrinkles [1, 4]. This poses a major limitation to the range of substrates and is a setback for the widespread utilization of this material. Here, we show that graphene's electronic structure is uniquely captured in its Raman spectrum. Raman fingerprints for single-, bi- and few-layers reflect changes in the electronic structure and allow unambiguous, high-throughput, non-destructive identification of graphene layers, which is critically lacking in this emerging research area.

The samples studied in this work were prepared by micro-mechanical cleavage [1]. To provide the most definitive identification of single and bi-layer graphene (beyond the layer counting procedures by AFM) we perform Transmission Electron Microscopy (TEM) on some of the samples to be measured by Raman spectroscopy. Samples for TEM are prepared following a similar process to that previously utilized to make free-standing and TEM-compatible carbon nanotube devices [14]. In addition, this allows us to have free-standing layers on a grid easily seen in the optical Raman microscope, facilitating their location during Raman measurements, Fig. 1(a). Electron diffraction is done in a Zeiss 912Ω microscope at a voltage of 60kV, and high-resolution images are obtained with a Philips CM200 microscope at 120kV. A HR-TEM analysis of foldings at the edges or within the free hanging sheets gives the number of layers by direct visualization, since at a folding the sheet is locally parallel to the beam, Fig. 1(b-e). Edges and foldings of the one or two layers are dominated by one or two dark lines. The number of layers is also obtained by a diffraction analysis of the freely suspended sheets for varying incidence angles,

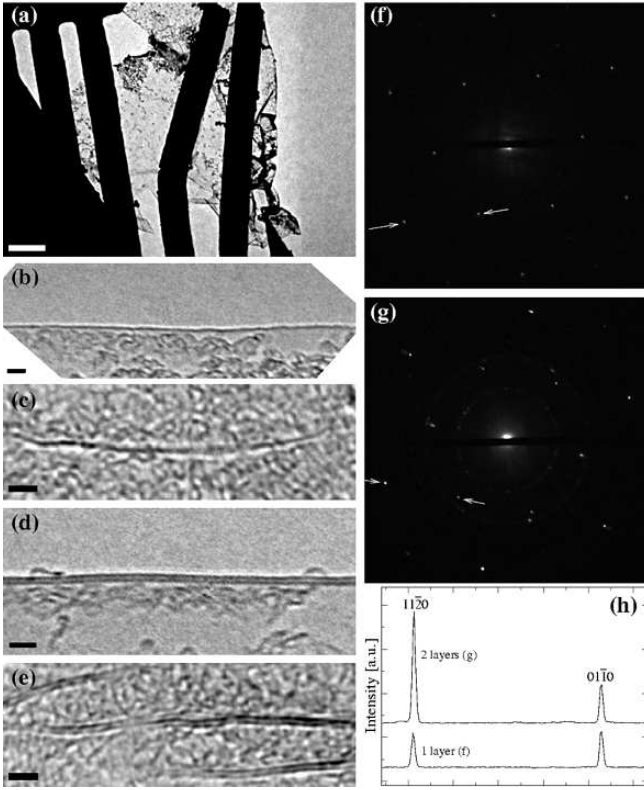


FIG. 1: (a) TEM image of a suspended graphene sheet. The metal grid is also visible in the optical microscope. (b) High resolution image of a folded edge of single layer graphene and (c) a wrinkle within the single layer sheet. (d) Folded edge of a two-layer sample and (e) internal foldings of the two-layer sheet. The amorphous contrast on the sheets is most likely due to hydrocarbon adsorbates on the samples that were cracked by the electron beam. (f) Electron diffraction pattern for close to normal incidence from single layer graphene and (g) from two layers. (h) Intensity profile plot along the line indicated by the arrows in (f+g). The relative intensities of the spots in the two-layer sheet are consistent only with A-B (and not A-A) stacking. Scale bars: (a) 500 nm; (b-e) 2 nm.

and confirms the number of layers seen in the foldings, Fig. 1(d,e). In particular, the diffraction analysis of the bi-layer shows that it is A-B stacked (the intensity of the 11-20 diffraction spots (outer hexagon) is roughly twice that of the 1-100 (inner hexagon), Fig. 1(h), in agreement with image simulations. This confirms that multi-layer graphene maintains the same stacking as graphite.

Unpolarized Raman spectra are measured on single, bi and multi-layers on Si+SiO<sub>2</sub>. Some are then processed into free-hanging sheets, also measured by TEM as described above, and measured again by Raman spectroscopy after TEM. The measurements are performed at room temperature with a Renishaw spectrometer at 514 and 633 nm. A 100 $\times$  objective is used. Extreme care is taken to avoid sample damage or laser induced heating. Measurements are performed from  $\sim 4\text{mW}$  to  $\sim 0.04\text{mW}$  incident power. No significant change in the spectra is

observed in this power range both for free standing and supported samples. The Raman spectra of suspended and on-substrate graphene are similar, one of the main differences being a D peak observed for the much smaller samples used for TEM. We also measure the reference bulk graphite used to produce the layers.

Fig. 2(a) compares the 514 nm Raman spectra of graphene and bulk graphite. The two most intense features are the G peak at  $\sim 1580\text{cm}^{-1}$  and a band at  $\sim 2700\text{cm}^{-1}$ , historically named G', since it is the second most prominent band always observed in graphite samples[15]. The G peak is due to the doubly degenerate zone centre  $E_{2g}$  mode [16]. On the contrary, the G' band has nothing to do with the G peak, but is the second order of zone boundary phonons. Since zone-boundary phonons do not satisfy the Raman fundamental selection rule, they are not seen in the first order Raman spectra of defect-free graphite [17]. Such phonons give rise to a Raman peak at  $\sim 1350\text{cm}^{-1}$  in defected graphite, called D peak [16]. Thus, for clarity, we refer to the G' peak as 2D. Fig. 2(a) shows that no D peak is observed in the centre of the graphene layers. This proves the absence of a significant number of defects in the structure. As expected, a D peak is only observed at the sample edge, Fig. 2(d). Fig. 2(a) shows a significant change in the shape and intensity of the 2D peak of graphene compared to bulk graphite. The 2D peak in bulk graphite consists of two components 2D<sub>1</sub> and 2D<sub>2</sub> [15, 17], roughly 1/4 and 1/2 the height of the G peak, respectively. Here we measure a single, sharp 2D peak in graphene, roughly 4 times more intense than the G peak. Notably, the G peak intensity of single layer and bulk graphite is comparable (note that Fig. 2(a) is re-scaled to show a similar 2D intensity) and the G position is 3-5  $\text{cm}^{-1}$  higher than bulk graphite. The change in shape of the 2D band is nicely confirmed in Fig. 2(d), which compares the D peak observed on the graphite edge with that of the graphene edge. The graphene D peak is a single sharp peak, while that of graphite is a band consisting of two peaks D<sub>1</sub> and D<sub>2</sub>[15]. Fig. 2(b,c) plot the evolution of the 2D band as a function of the number of layers for 514.5 nm and 633 nm excitations. These immediately indicate that bi-layer graphene has a much broader and up-shifted 2D band with respect to graphene. This band is also quite different from bulk graphite. It has 4 components, 2D<sub>1B</sub>, 2D<sub>1A</sub>, 2D<sub>2A</sub>, 2D<sub>2B</sub>, 2 of which, 2D<sub>1A</sub> and 2D<sub>2A</sub>, have higher relative intensities than the other 2, as indicated in Fig. 2(e). Fig. 2(b,c) show that a further increase of the number of layers leads to a significant decrease of the relative intensity of the lower frequency 2D<sub>1</sub> peaks. For more than 5 layers the Raman spectrum becomes hardly distinguishable from that of bulk graphite. Thus Raman spectroscopy can clearly identify a single layer, from bi-layer from few (less than 5) layers. This also explains why previous experiments on nano-graphites, but not individual or bi-layer graphene, failed to identify these features

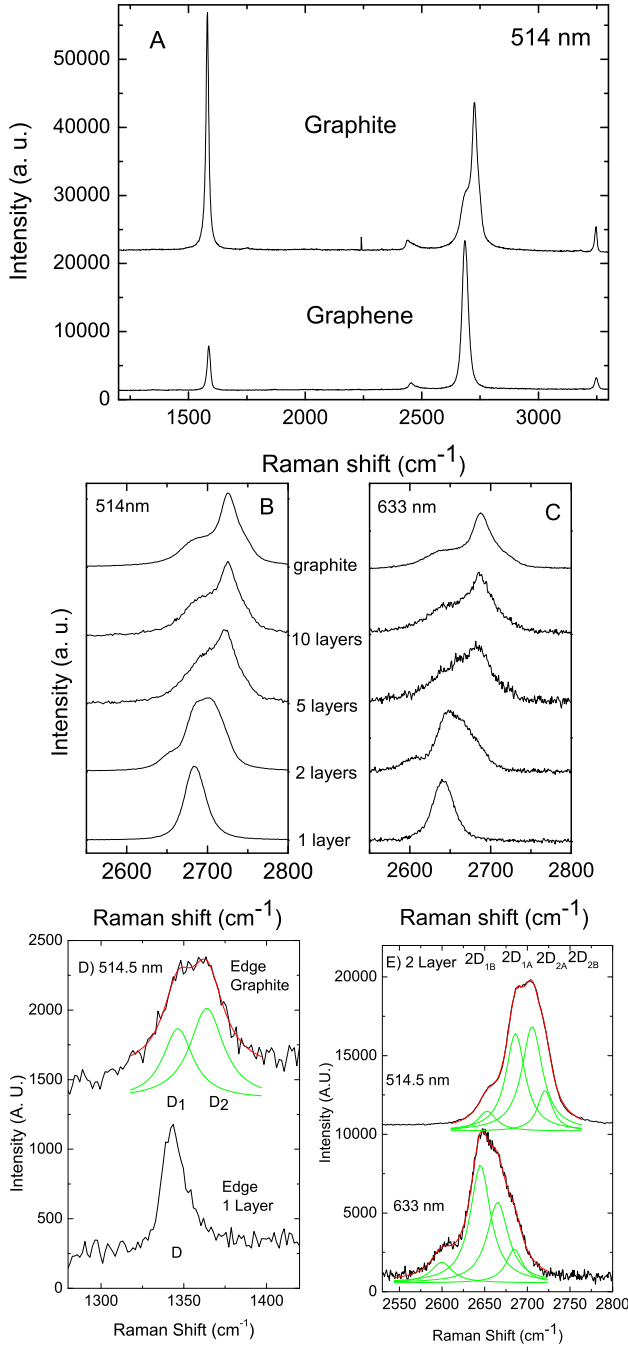


FIG. 2: (a) Comparison of Raman spectra at 514 nm for bulk graphite and graphene. They are scaled to have similar height of the 2D peaks. (b) Evolution of the spectra at 514 nm with the number of layers. (c) Evolution of the Raman spectra at 633 nm with the number of layers. (d) Comparison of the D band at 514 nm at the edge of bulk graphite and single layer graphene. The Fit of the  $D_1$  and  $D_2$  components of the D band of bulk graphite is shown. (e) The four components of the 2D band in 2 layer graphene at 514 nm and 633 nm.

[18, 19]. In particular, it was noted from early studies that turbostratic graphite (i.e. without AB stacking) has a single 2D peak [20]. However, its Full Width at Half Maximum (FWHM) is  $50 \text{ cm}^{-1}$  almost double that of the 2D peak of graphene and upshifted of  $20 \text{ cm}^{-1}$ . Turbostratic graphite also often has a first order D peak [20]. SWNTs show a sharp 2D peak similar to that we measure here for graphene [21]. The close similarity (in position and FWHM) of our measured graphene 2D peak and the 2D peak in SWNTs of 1-2 nm diameter [22] implies that curvature effects are small for the 2D peak for SWNTs in this diameter range, the most commonly found in experiments. This questions the assumption that the 2D peak in SWNT should scale to the up-shifted average 2D peak position in bulk graphite for large diameters [22]. This assumption was utilized to fit a scaling law relating SWNT diameter and 2D peak position, which is often used to derive the diameter of inner tubes in double wall nanotubes [22, 23]. Despite the similarities, it is important to note that there are major differences between graphene and SWNT Raman spectra, which allow to easily distinguish these materials. Indeed, confinement and curvature split the two degenerate modes of the G peak in SWNTs [21], resulting in  $G^+$  and  $G^-$  peaks.

We now explain why graphene has a single 2D peak, and why this splits in four components in bi-layer graphene. Several authors previously attempted to explain the double structure of the 2D peak in graphite [15, 17, 18, 19, 20, 24], however they always neglected the evolution of the electronic bands with the number of layers, which is, on the contrary, the key fact. The 2D peak in graphene is due to two phonons with opposite momentum in the highest optical branch near the  $\mathbf{K}$  ( $A'_1$  symmetry at  $\mathbf{K}$ ) [16, 25, 26]. Fig. 2 shows that this peak changes in position with varying excitation energy. This is due to a Double Resonance (DR) process, which links the phonon wave-vectors to the electronic band structure [27]. Within DR, Raman scattering is a third order process involving four virtual transitions: i) a laser induced excitation of an electron/hole pair ( $a \rightarrow b$  vertical transition in Fig. 3(a)); ii) electron-phonon scattering with an exchanged momentum  $\mathbf{q}$  close to  $\mathbf{K}$  ( $b \rightarrow c$ ); iii) electron-phonon scattering with an exchanged momentum  $-\mathbf{q}$  ( $c \rightarrow b$ ); iv) electron/hole recombination ( $b \rightarrow a$ ). The DR condition is reached when the energy is conserved in these transitions. The resulting 2D Raman frequency is twice the frequency of the scattering phonon, with  $\mathbf{q}$  determined by the DR condition. For simplicity, Fig. 3(a,b) neglect the phonon energy and do not show the equivalent processes for hole-phonon scattering.

Consistent with the experimental observation of a single component for the 2D peak in single layer graphene, Fig. 3(a,b) only shows the phonon satisfying DR conditions with momentum  $q > K$ , along the  $\Gamma - \mathbf{K} - \mathbf{M}$  direction ( $K < q < M$ ). The other two possible DR phonons, with  $q < K$  and  $q \sim K$ , give a much smaller contribution

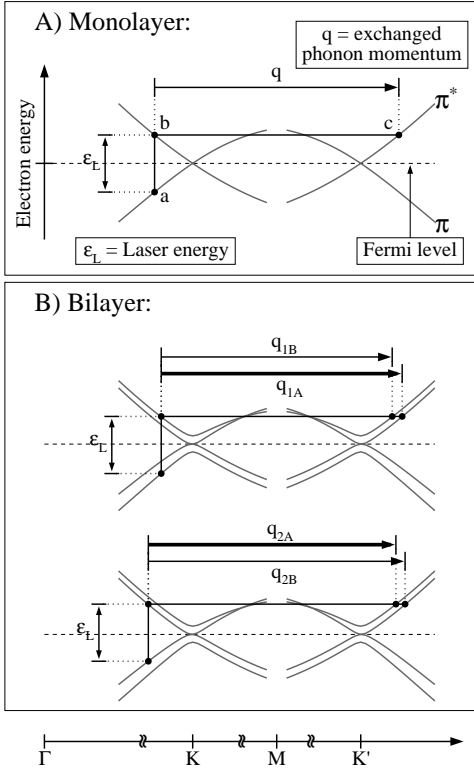


FIG. 3: DR scheme for the 2D peak in (a) single layer and (b) bi-layer graphene.

514.5	2 Layers			
Experimental	-44	-10	+10	+25
Theory	-44	-11	+11	+41
633				
Experimental	-55	-10	+10	+30
Theory	-44	-9	+9	+41

TABLE I: Relative splitting of 2D components in bi-layer graphene. In each case, we show the shift with respect to the average frequency of the two main peaks. The four columns of the bi-layer correspond to processes  $q_{1B}$ ,  $q_{1A}$ ,  $q_{2A}$ ,  $q_{2B}$ , respectively. The theoretical values are obtained by multiplying the DR  $q$  vectors determined from the DFT electronic bands by  $dw/dq = 645 \text{ cm}^{-1} \text{ \AA}$ . Here  $dw/dq$  is the ratio between the measured shift of the 2D peak frequency with the laser energy in graphene ( $\sim 99 \text{ cm}^{-1}/\text{eV}$ ), and the corresponding variation of the DR  $q$  vector computed from the DFT electronic bands.

to the Raman intensity. In fact, the  $q < K$  phonon involves a smaller portion of the phase-space because of the band-structure trigonal warping (see Fig.4 of Ref.[28] and related discussion) and the  $q \sim K$  phonon has a zero electron-phonon coupling for this transition, as discussed in Ref [26] (see footnote 24, for  $q \sim K$ ,  $\theta'' = 0$ ) and Ref. [24]. This differs from the models of Ref. [19, 24], which predict 2 similar components for the D peak even in single layer, in disagreement with the experiments of Fig. 2.

We now examine the bi-layer case. The observed 4 components of the 2D peak could in principle be attributed to two different mechanisms: the splitting of the phonon branches [15, 17, 20, 29], or the splitting of the electronic bands [25]. To ascertain this we compute the phonon frequencies [26] for both single and bi-layer graphene (stacked AB, as indicated by TEM), at the  $q$  corresponding to the DR condition for the 514 and 633 nm lasers. The splitting of the phonon branches is  $< 1.5 \text{ cm}^{-1}$ , much smaller than the experimentally observed 2D splitting. Thus, this is solely due to electronic bands effects. In the bi-layer, the interaction of the graphene planes causes the  $\pi$  and  $\pi^*$  bands to divide in four bands, with a different splitting for electrons and holes, Fig. 3(b). Amongst the 4 possible optical transitions, the incident light couples more strongly the two transitions shown in Fig. 3(b). The two almost degenerate phonons in the highest optical branch couple all electron bands amongst them. The resulting four processes involve phonons with momenta  $q_{1B}$ ,  $q_{1A}$ ,  $q_{2A}$ , and  $q_{2B}$ , as shown in Fig. 3(b). The four corresponding processes for the holes, and those associated to the 2 less intense optical transitions [not shown in Fig. 3(b)], are associated to momenta almost identical to  $q_{1B}$ ,  $q_{1A}$ ,  $q_{2A}$ ,  $q_{2B}$ . These wave-vectors correspond to phonons with different frequencies, due to the strong phonon dispersion around  $K$  induced by the electron-phonon coupling [26]. They produce four different peaks in the Raman spectrum of bi-layer graphene. Tab. I reports the expected splittings and shows that they compare very well with experiments.

In conclusion, graphene's electronic structure is uniquely captured in its Raman spectrum, that clearly evolves with the number of layers. Raman fingerprints for single-, bi- and few-layer graphene reflect changes in the electronic structure and electron-phonon interactions and allow unambiguous, high-throughput, non-destructive identification of graphene layers.

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